General Description of $AdS_4 \times_{\it W} \mathcal{M}_6$ 0000000000

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Conclusions

New susy type II AdS₄ vacua

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July 3, 2009 *Κο*λυμπὰρι, *Κρ*ὴτη

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AdS_4/CFT_3 duality

- Nonperturbative definition of String Theory
- Multiple M2 branes

Deviation from CY-ness

• $Flux \neq 0 \implies AdS_4 \times_w \mathcal{M}_6$

Flux Vacua

- Moduli stabilization
- Starting point for de Sitter
- Susy breaking, ...

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• New $\mathcal{N} = 2$ IIA and $\mathcal{N} = 1$ IIB pure-flux vacua

Ten-dimensional spacetime

 $AdS_4 \times_w \mathcal{M}_6$ with:

$$ds^2(\mathcal{M}_6) = dt^2 + ds_t^2(\mathcal{M}_5)$$

where \mathcal{M}_5 admits a Sasaki-Einstein structure

 $ds_t^2(\mathcal{M}_5) = e^{2B(t)} ds_{KE}^2 + \xi^2(t) (d\psi + A)^2$

Lüst, DT, JHEP 0904

Lüst, DT, arXiv:0906

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Lüst, DT, JHEP 0904

Lüst, DT, arXiv:0906

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- $AdS_4 \times \mathcal{M}_6$ vacua: generalities
- New explicit vacua

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Flux= 0, $\mathcal{M}_6 = CY$

- SUSY: $\nabla \eta = \mathbf{0}$
- Bilinears: $J_{mn}:=\eta^{\dagger}\gamma_{mn}\eta;$ $\Omega_{mnp}:=\eta\gamma_{mnp}\eta$
- Differential conditions: $d\Omega = 0$; dJ = 0

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Flux \neq 0, $\overline{\mathcal{M}_6 \neq CY}$

- SUSY: ∇η≠0
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[hep-th]

 (η, g_{mn})

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[math.DG]

(*J*, Ω**)**

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SU(3) structure

Definition

 $\Omega \wedge \overline{\Omega} = \frac{1}{3!} J^3$ $J \wedge \Omega = 0$ $\mathbb{P} \supset SI(3, \mathbb{C}) = S$

$Sp(6,\mathbb{R})\cap SL(3,\mathbb{C})=SU(3)$

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SU(3) structure

Definition

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SU(3) structure

Definition

 $\Omega \wedge \overline{\Omega} = \frac{1}{3!} J^3$ $J \wedge \Omega = 0$ $Sp(6, \mathbb{R}) \cap SL(3, \mathbb{C}) = SU(3)$

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Spinor ansatz

Two susy parameters

$$\epsilon_i = \zeta \otimes \theta_i + \text{c.c.}$$
; $i = 1, 2$

 $|\theta_1|^2 = |\theta_2|^2 \propto e^A$

Two unimodular spinors

$$\theta_1 = a \eta_1; \quad \theta_2 = \begin{cases} b \eta_2^* + c^* \eta_1^* & \text{IIA} \\ b \eta_2 + c \eta_1 & \text{IIB} \end{cases}$$
$$a^2 = b^2 + |c|^2$$

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$SU(3) \times SU(\overline{3})$ structure

Local SU(2)=SU(3)∩SU(3) structure

$$\widetilde{\mathbf{J}} \wedge \omega = \mathbf{0}$$

$$2\widetilde{\mathbf{J}} \wedge \widetilde{\mathbf{J}} = \omega \wedge \omega^* \neq \mathbf{0}$$

$$\iota_K \widetilde{\mathbf{J}} = \iota_K \operatorname{Re} \omega = \iota_K \operatorname{Im} \omega = \mathbf{0}$$

SU(3)×SU(3) structure

$$egin{aligned} J^{(1)} &= rac{i}{2} \mathcal{K} \wedge \mathcal{K}^* + \widetilde{oldsymbol{J}} \;; \quad J^{(2)} &= rac{i}{2} \mathcal{K} \wedge \mathcal{K}^* - \widetilde{oldsymbol{J}} \; \ \Omega^{(1)} &= -i\omega \wedge \mathcal{K} \;; \quad \Omega^{(2)} &= i\omega^* \wedge \mathcal{K} \end{aligned}$$

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SU(3)×SU(3) structure

$$egin{aligned} J^{(1)} &= rac{i}{2} K \wedge K^* + \widetilde{J} \ ; & J^{(2)} &= rac{i}{2} K \wedge K^* - \widetilde{J} \ \Omega^{(1)} &= -i\omega \wedge K \ ; & \Omega^{(2)} &= i\omega^* \wedge K \end{aligned}$$

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The scalar ansatz

Provided certain conditions are obeyed by (K, \tilde{J}, ω) the scalar ansatz solves the susy equations of IIA/IIB

Lüst, DT, JHEP 0904

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The scalar ansatz

Metric

$$ds^2 = e^{2A} ds^2 (AdS_4) + ds^2 (\mathcal{M}_6)$$

Three-form

$$H = \frac{1}{24} \left(h_1 \omega^* + h_2 \omega + 2h_3 \widetilde{J} \right) \wedge \mathbf{K} + \text{c.c.}$$

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The scalar ansatz

RR fluxes IIA

$$\begin{split} e^{\phi}F_{0} &= f_{0} \\ e^{\phi}F_{2} &= \frac{1}{8}\left(f_{2}\omega^{*} + f_{3}\widetilde{J} + 2if_{1}K \wedge K^{*}\right) + \text{c.c.} \\ e^{\phi}F_{4} &= \frac{1}{16}g_{1}\widetilde{J} \wedge \widetilde{J} + \frac{i}{96}\left(g_{2}\omega^{*} + g_{2}^{*}\omega + 2g_{3}\widetilde{J}\right) \wedge K \wedge K^{*} \\ e^{\phi}F_{6} &= f \text{ vol}_{6} \end{split}$$

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The scalar ansatz

RR fluxes IIB

$$e^{\phi}F_{1} = g_{1}K + \text{c.c.}$$

$$e^{\phi}F_{3} = \frac{1}{24}\left(f_{1}\omega^{*} + f_{2}\omega + 2f_{3}\widetilde{J}\right) \wedge K + \text{c.c.}$$

$$e^{\phi}F_{5} = g_{2} \star_{6}K + \text{c.c.}$$

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Equations of motion

- SUSY \oplus (generalized) Bianchi ids \Longrightarrow All EOM's
- Also in the presence of calibrated sources

Koerber, DT, JHEP 0708

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Construction of vacua

IIA Strict SU(3)

- Until recently all known (massive) vacua were of rigid-SU(3) type
- All can be described in a unifying framework: left-invariant SU(3) structures on groups, cosets
- Many more should be possible!
- Lüst, DT, JHEP 0502
- Koerber, Lüst, DT, JHEP 0807

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Explicit vacua

IIA Strict SU(3)

- Nilsson, Pope, CQG 1984
- Sorokin, Tkach, Volkov PLB 1985
- Behrndt, Cvetič, NPB 2005
- 🔋 Lüst, DT, JHEP 0502
- 📑 Graña, Minasian, Petrini, Tomasiello JHEP 0705
- Aldazabal, Font, JHEP 0802
- Tomasiello, hep-th 0712
 - Koerber, Lüst, DT, JHEP 0807

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Explicit vacua

IIA SU(3) \times SU(3)

- - Gaiotto, Tomasiello, arXiv:0904
- Petrini, Zaffaroni, arXiv:0904
- Lüst, DT, arXiv:0906

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New $\mathcal{N} = 2$ IIA vacua

\mathcal{M}_5 admits a S-E SU(2) structure

$$\iota_{u}\alpha = \iota_{u}\beta = \iota_{u}\gamma = 0$$

$$\alpha \wedge \beta = \beta \wedge \gamma = \gamma \wedge \alpha = 0$$

$$\alpha \wedge \alpha = \beta \wedge \beta = \gamma \wedge \gamma \neq 0$$

$$du = -2\gamma; \quad d(\alpha + i\beta) = -3iu \wedge (\alpha + i\beta); \quad d\gamma = 0$$

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5d Sasaki-Einstein

Killing spinor

$$abla_m \eta = \pm rac{i}{2} \Gamma_m \eta
onumber \ R_{mn} = 4g_{mn}$$

The SU(2) structure

 $U_m := (\eta^{\dagger} \Gamma_m \eta)$ $\alpha_{mn} + i\beta_{mn} := (\eta \Gamma_{mn} \eta)$ $\gamma_{mn} := i(\eta^{\dagger} \Gamma_{mn} \eta)$

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New $\mathcal{N} = 2$ IIA vacua

Local SU(2) structure

$$\begin{array}{c} \mathcal{K} = \boldsymbol{e}^{\mathcal{B}(t)} \left(\boldsymbol{d}t - i\xi(t) \boldsymbol{u} \right) \\ \begin{pmatrix} \widetilde{J} \\ \operatorname{Re}\omega \\ \operatorname{Im}\omega \end{pmatrix} = \boldsymbol{e}^{2\mathcal{C}(t)} \mathcal{R}(\boldsymbol{\theta}(t), \boldsymbol{\chi}(t)) \begin{pmatrix} \alpha \\ \beta \\ \gamma \end{pmatrix}$$

Metric on \mathcal{M}_6

$$ds^{2}(\mathcal{M}_{6}) = e^{2B} \left(\frac{3}{W} e^{2(C-B)} ds_{KE}^{2} + \xi^{2} u \otimes u + dt^{2} \right)$$

• \mathcal{M}_6 is locally a smooth S^2 bundle over 4D K-E base.

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New $\mathcal{N} = 2$ IIA vacua

- All conditions of the scalar ansatz are satisfied
- All BI's and EOM's are satisfied
- All fields are determined

$$\tan \theta = \frac{\tan \varphi}{\sin \varepsilon} = \sqrt{2} \tan(\sqrt{2}t)$$

$$f = -3We^{-A}\cos\varepsilon\cos\varphi$$

$$f_0 = -We^{-A}(\cos\varphi\sin\varepsilon + \csc\varepsilon\sin\varphi\tan\varphi)$$

$$f_1 = -\cos\varepsilon\cos\varphi\left(We^{-A} + 4e^{-B}A'\cot\varphi\sin\varepsilon\right)$$

$$f_2 = -8e^{-B}A'\cos\varepsilon\cos\varphi$$

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New $\mathcal{N} = 2$ IIA vacua

- All conditions of the scalar ansatz are satisfied
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$$g_{1} = -8 \left(\cos \varphi \sin \varepsilon + \sin \varphi \csc \varepsilon \tan \varphi \right)$$
$$\left(We^{-A} - 4e^{-B}A' \cot \varphi \sin \varepsilon \right)$$
$$g_{2} = 48 \sin \varphi \left(We^{-A} + e^{-B}A' \cot \varphi \sin \varepsilon \right)$$
$$h_{1} = -6 \sin^{2} \varphi \cot \varepsilon \left(We^{-A} - 2e^{-B}A' \sin \varepsilon \cot \varphi \right)$$
$$\frac{h_{1}}{h_{3}} = \frac{h_{2}}{h_{3}} = \frac{f_{2}}{f_{3}} = \frac{g_{2}}{g_{3}} = -\tan \theta .$$

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New $\mathcal{N} = 2$ IIA vacua

- All conditions of the scalar ansatz are satisfied
- All BI's and EOM's are satisfied
- All fields are determined

$$e^{4A} = \frac{1}{\cos^2 \theta} \tan \varepsilon$$
$$e^{B-A} = -\frac{1}{2W} \cot \theta (\log \tan \varepsilon)'$$
$$e^{\phi - 3A} = \cos \varphi \cos \varepsilon$$
$$\xi = \frac{3}{2W} e^{A-B} \sin \theta$$

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New $\mathcal{N} = 2$ IIA vacua

- All conditions of the scalar ansatz are satisfied
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$$\zeta' = \frac{1}{2W} e^{2(A-C)} \cos \theta \cot \varepsilon \sin^2 \varphi (\log \tan \varepsilon)'$$
$$\theta' = \cot \theta \left(\frac{1}{2W} e^{2(A-C)} \sin^2 \theta - 1 \right) (\log \tan \varepsilon)'$$
$$C' = -\frac{1}{4W} e^{2(A-C)} (\sin^2 \varphi + \cos^2 \theta) (\log \tan \varepsilon)'$$

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New susy IIB vacua

Local SU(2) structure

 $K = e^{A(t)} (idt - 3u)$ $\begin{pmatrix} \widetilde{J} \\ \operatorname{Re}\omega \\ \operatorname{Im}\omega \end{pmatrix} = e^{2A(t)} \mathcal{R}(\theta(t)) \begin{pmatrix} \alpha \\ \beta \\ \gamma \end{pmatrix}$

Metric on \mathcal{M}_6

$$ds_{E}^{2} = ds^{2}(AdS_{4}) + \frac{6}{5W^{2}}ds_{KE}^{2} + 9u \otimes u + dt^{2}$$

*M*₆ is the product of squashed 5D S-E and S¹ or ℝ.

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New susy IIB vacua

- All conditions of the scalar ansatz are satisfied
- All BI's and EOM's are satisfied
- All fields are determined

$$H = \frac{1}{2}W\operatorname{Re}\omega \wedge dt - \left(2A'\widetilde{J} + ce^{-4A}\operatorname{Re}\omega\right) \wedge u$$
$$e^{\phi}F_{1} = -2ce^{-4A}dt$$
$$e^{\phi}F_{3} = -\frac{1}{2}W\widetilde{J} \wedge dt + \left(2A'\operatorname{Re}\omega - ce^{-4A}\widetilde{J}\right) \wedge u$$
$$e^{\phi}F_{5} = \frac{3}{2}W\widetilde{J} \wedge \widetilde{J} \wedge u$$

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New susy IIB vacua

- All conditions of the scalar ansatz are satisfied
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$$\phi = 4A$$

$$e^{\phi} = \begin{cases} \frac{2}{\sqrt{5}} \left| \frac{c}{W} \right| \cosh\left[\sqrt{5}W(t-t_0)\right], & c \neq 0 \\ \exp\left[\sqrt{5}W(t-t_0)\right], & c = 0 \end{cases}$$

$$\tan(\theta - \theta_0) = \begin{cases} \tanh\left[\frac{\sqrt{5}}{2}W(t-t_0)\right], & c \neq 0 \\ 0, & c = 0 \end{cases}$$

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Summary

- Given any 5D S-E manifold we have constructed corresponding families of new explicit IIA/IIB AdS₄ vacua
- Infinite number of families
- Pure flux
- Given any 4D K-E manifold we have constructed corresponding families of vacua

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- Implications for AdS₄/CFT₃ (specific models)
- Many more vacua? N=3? (more CFT₃'s than AdS₄'s)
- General properties of flux vacua?
- Phenomenological applications

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Thank You